

## Solving Quadratic Equations

([CCSS.Math.Content.HSA.REI.B.4.b](#))

A **quadratic equation** is a polynomial of degree 2, typically written  $ax^2 + bx + c = 0$ . **Completing the square** is the process of converting an expression, such as a quadratic expression, into a perfect square by adding or subtracting terms on both sides. The **quadratic formula** is a formula that determines the roots of a quadratic equation from its coefficients. A **complex number** can be written as  $a + bi$ , where  $a$  and  $b$  are real and  $i$  is an imaginary number whose square equals  $-1$ .

If your students...

### Choose the “wrong” method:

Congratulate your students on finding the right solution(s), and then point out that, say, they didn’t need to use the quadratic formula to solve  $x^2 - 2x + 1 = 0$  when it is so easily factorable.

### Mishandle complex numbers:

Remind them of the essential features of imaginary numbers: that  $i$  can be thought of as  $i = \sqrt{-1}$  and  $i^2 = -1$ .

WATCH: Complex Numbers - Multiplying and Dividing

<https://www.opened.com/video/complex-numbers-multiplying-and-dividing/116107>

### Mishandle quadratic equations with complex solutions:

Some students work with the quadratic formula until they determine that the discriminant is negative, and then they get lost amidst the imaginary numbers.

WATCH: Solving Quadratic Equations using the Quadratic Formula - Example 2, Complex Solutions

<https://www.opened.com/video/solving-quadratic-equations-using-the-quadratic-formula/115844>

